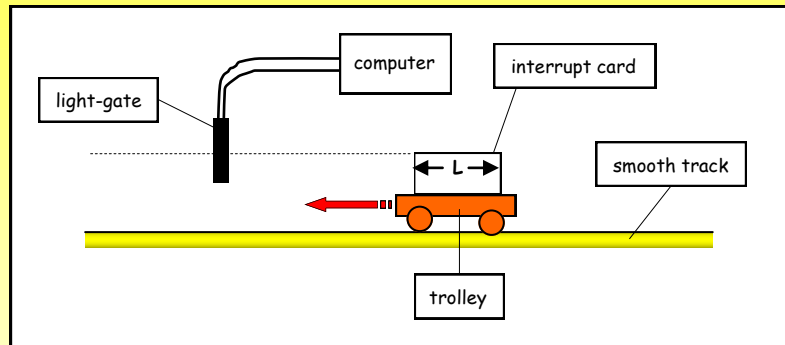


PRACTICAL WORK

1. MEASURING SPEED

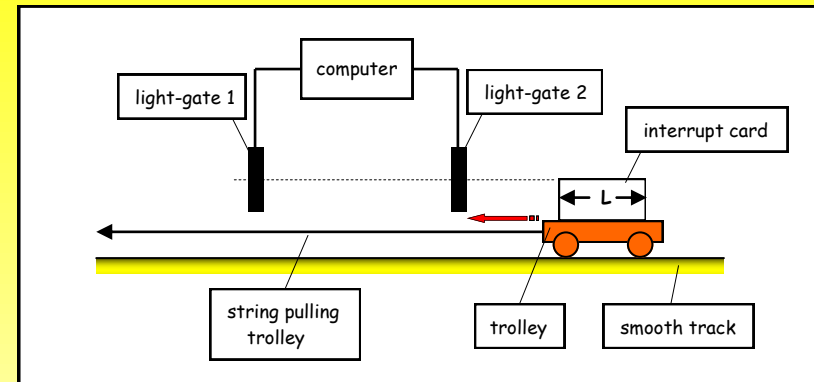
- The apparatus shown below can be used to measure **speed** in the laboratory.



- As the trolley enters the light-gate, the leading edge of the 'interrupt' card (of length = L) breaks the light beam in the gate and this automatically starts the timer in the computer.
- Once the trailing edge of the card has passed through the gate, the light beam is no longer interrupted and the timer stops.
- The computer then calculates the **speed (s)** of the trolley from :

$$\text{speed (s)} = \frac{\text{length of card (L)}}{\text{time for card to pass gate (t)}}$$

2. MEASURING ACCELERATION



- The trolley is released from rest and it is pulled along by a weighted string which passes over a pulley at the end of the track.
- The interrupt card on the trolley breaks the light beam as it passes through **light-gate 1** and this enables the computer to work out the trolley's **initial velocity (v_i)**.
- The trolley then continues to accelerate for a **time (t)** until it enters **light-gate 2** and the card breaks the light beam as it passes through.
- The computer automatically calculates the trolley's **final velocity (v_f)** as well as the **time (t)** over which the acceleration occurs (this is the time taken by the trolley to move from **light-gate 1** to **light-gate 2**).
- The trolley's **acceleration (a)** is given by :

$$a = \frac{v_f - v_i}{t}$$

and this is also automatically calculated by the computer.

3. THE WORLD'S FASTEST INDIAN DISTANCE-TIME GRAPH ACTIVITY

- The film used for this activity is based on the true story of New Zealander **Burt Munro**, who spent 20 years modifying a 1920 Indian Scout motorcycle. He used it to set the land-speed record for bikes under 1000 cc at **Utah's Bonneville Salt Flats in 1967**..... a record which still stands today! Burt was **68** years old and was riding a **47** year old machine when he set the record!

- Watch the film clip and complete the table shown below by noting the bike's speed which is given as the bike goes through each mile marker.



- Use :

$$\text{speed} = \frac{\text{distance}}{\text{time}}$$

to calculate the **time (hours)** taken to cover **each mile**.

DISTANCE / miles	SPEED / mph	TIME / hours
1		
2		
3		
4		
5		
6		
7		
8		

- Use the data in your table to plot a **DISTANCE-TIME** graph. Remember to **label the axes** and **include units**.

QUESTIONS

- What was the bike's **speed** at **4.5 miles**?
- How far would Munro have travelled after **0.03 hours**?
- At what **speed** would you predict that Munro might have been travelling (had he not crashed) if he had reached the **9-mile** marker?
- The distance-time graph yields a curve which slopes upward slightly. What does this tell you about the bike's motion?

- After crashing, describe how the shape of the graph would change as the bike comes to rest. Use a sketch graph to illustrate your answer.

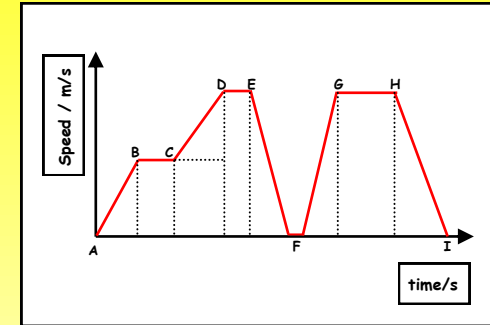
4. TERMINATOR 2 VELOCITY-TIME GRAPH ACTIVITY

- In this activity, you will view a clip from the film **Terminator 2** and use it to obtain data from which you can plot a detailed **velocity-time** graph.
- Pupils should work in pairs and it is advisable to view the clip a couple of times before doing the actual timings.
- Start the stop-clock at the moment when **the boy kick-starts the motor-bike and sets off.**
- Complete the table below by recording the **TIME (in s)** when the film reaches each of the events shown.



EVENT	SPEED / m/s	TIME / s
Boy starts bike and sets off.	0	0
Boy leaps bike over hedge.	6	
Bike swerves in front of lorry.	6	
Lorry hits first car.	9	
Bike goes down ramp.	9	
Bike comes to a stop near bridge.	0	
Lorry hits ground & bike starts moving again.	0	
We first see bad cop terminator.	12	
Good terminator shoots at gates chain.	12	
Good terminator's bike drops into drain.	12	
Lorry's tyre is shot and bursts.	12	
Lorry explodes.	0	

- Use the data in your table, to plot a **SPEED-TIME** graph with speed on the y-axis and time on the x-axis. Remember to **label the axes** and **include units.**
- Your graph should look something like that shown opposite.
- Label each point at which there is a change of motion, **A, B,.....and I.**
- Divide the area below the graph into **five** triangles and **four** rectangles as shown.



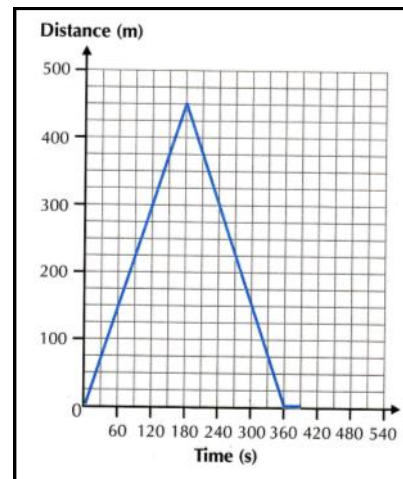
QUESTIONS

- What is the **acceleration A to B?**
- What is the **acceleration E to F?**
- Calculate the **total distance** travelled over the whole journey (= the area of the **5** triangles + **4** rectangles).

- Calculate the bike's **average speed** over the whole

• HOMEWORK QUESTIONS (1)

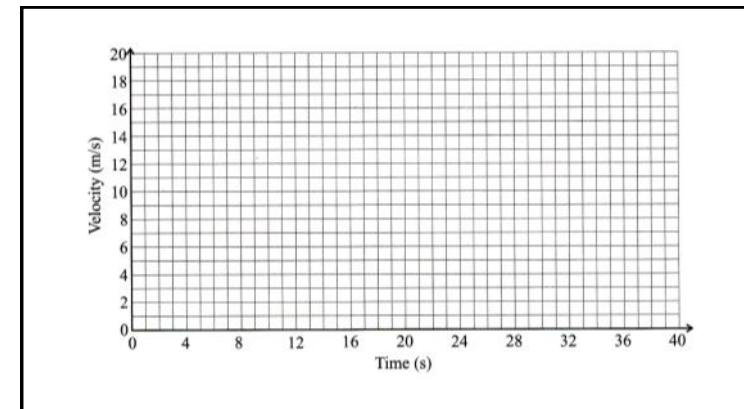
- 1 A man walks away from his house and when he gets to his car, he realises he has forgotten his car keys.
- He then **walks back** home, where he spends **30 s resting**.
- Not wanting to be late to work, he then runs back to the car at **twice** his walking speed.
- (a) **How far** was the car from the man's home?
- (b) **How long** did it take the man to walk to his car?
- (c) Use the graph to calculate the man's **walking speed**.
- (d) Copy the graph and complete it to show the part when he **runs back to the car**.



He maintains the car's speed for **285 m** before the traffic lights ahead turn to red. John then decelerates at a constant rate before coming to a standstill **7 s** later at the traffic lights.

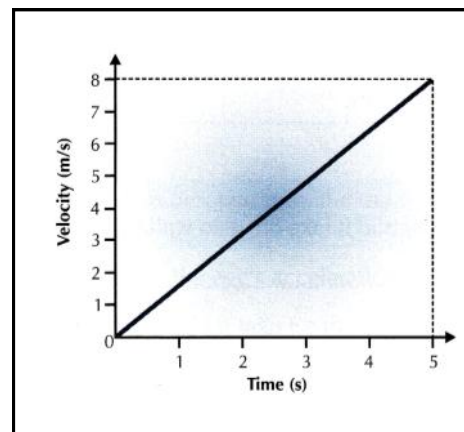
He then waits at the traffic lights for **12 s**.

- (a) **How long** did it take John to cover the initial **285 m**?
- (b) (i) Sketch a **velocity-time** graph of John's motion on the axes below. Include the time John waits at the traffic lights.



- (ii) Use the graph to calculate John's **acceleration**.

- 2 The **velocity-time** graph shown opposite represents the motion of a lunar vehicle as it falls towards the Moon's surface.
- It accelerates as a result of the Moon's gravitational pull.
- (a) Use the graph to calculate the vehicle's **acceleration**.
- (b) Calculate the **distance travelled** by the vehicle during the **5 s** of descent shown on the graph.



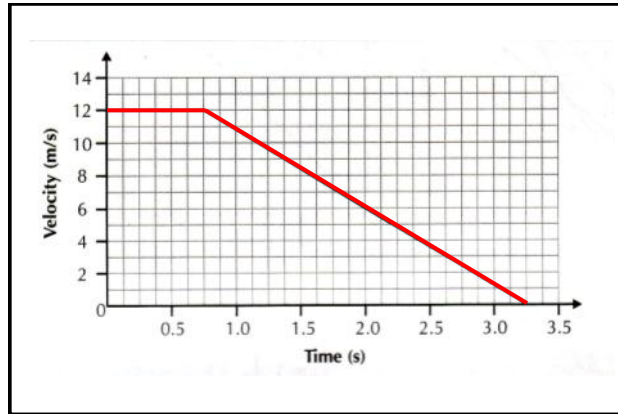
• HOMEWORK QUESTIONS (2)

1 A motorist sees a sheep standing in the middle of the road 25 m ahead of him.

It takes him 0.75 s to react and slam on the brakes.

The velocity-time graph opposite shows the car's deceleration.

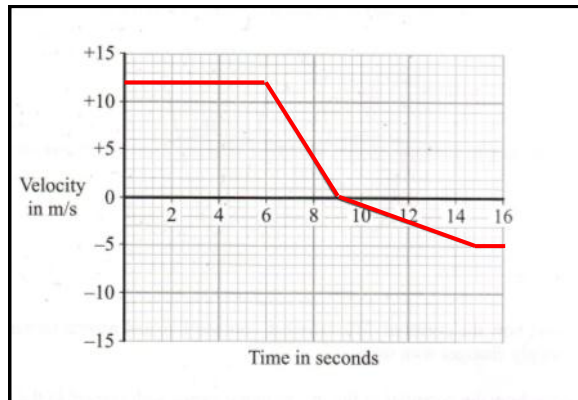
Use the graph to work out whether the motorist was able to stop the car before hitting the sheep.



2 A car is driven along a straight road.

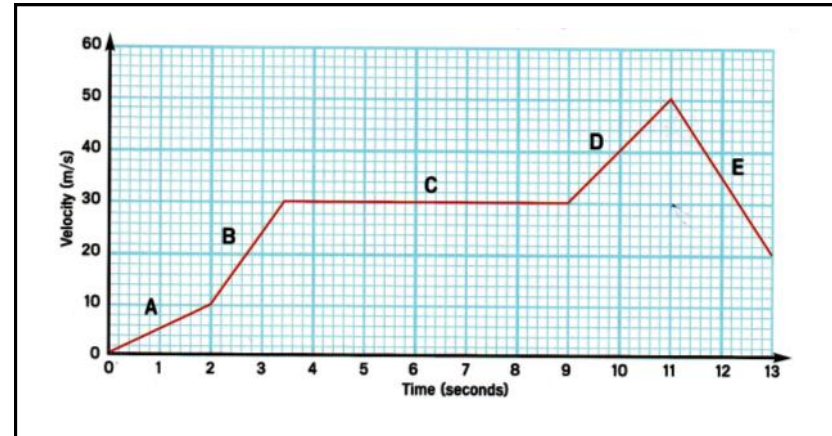
The graph opposite shows how the velocity of the car changes during part of the journey.

(a) Use the graph to calculate the car's deceleration between 6 and 9 seconds. Show clearly how you work out your answer and give the unit.



(b) At what time did the car change direction?

(c) How far does the car travel in the first 9 seconds?



(a) Describe the motion of the motorbike during stages A, C and E.

(b) Calculate the motorbike's acceleration at : (i) Stage D and (ii) Stage E.

(c) Calculate the distance travelled by the motorbike during the first 9 seconds of the motion.